		Topic: Accuracy
Topic/Skill	Definition/Tips	Example
1. Place Value	The <b>value</b> of where a <b>digit</b> is within a number.	In 726, the value of the 2 is 20, as it is in the 'tens' column.
2. Place Value	The names of the columns that <b>determine</b>	PLACE VALUE CHART
Columns	the value of each digit.	Millions Hundred Thousands Ten Thousands Thousands Hundreds Tens Ones Ones Cores Cores Tens Thousandths Thousandths Ten-Thousandths Ten-Thousandths Millionths
	The 'ones' column is also known as the 'units' column.	Millions Hundred Thousan Ten Thousands Thousands Hundreds Tens Ones Decimal Point Tenths Hundredths Ten-Thousandths Ten-Thousandths Millionths
3. Rounding	To make a number simpler but keep its value close to what it was.	74 rounded to the nearest ten is 70, because 74 is closer to 70 than 80.
	If the <b>digit to the right</b> of the rounding digit is <b>less than 5, round down</b> . If the <b>digit to the right</b> of the rounding digit is <b>5 or more, round up</b> .	152,879 rounded to the nearest thousand is 153,000.
4. Decimal Place	The <b>position</b> of a digit to the <b>right of a decimal point</b> .	In the number 0.372, the 7 is in the second decimal place.
		0.372 rounded to two decimal places is 0.37, because the 2 tells us to round down.
		Careful with money - don't write £27.4, instead write £27.40
5. Significant Figure	The significant figures of a number are the digits which <b>carry meaning</b> (ie. are significant) to the size of the number.	In the number 0.00821, the first significant figure is the 8.
	The <b>first significant figure</b> of a number	In the number 2.740, the 0 is not a significant figure.
	<b>cannot be zero</b> . In a number with a decimal, trailing zeros are not significant.	0.00821 rounded to 2 significant figures is 0.0082.
		19357 rounded to 3 significant figures is 19400. We need to include the two zeros at the end to keep the digits in the same place value columns.
6. Estimate	To find something <b>close to the correct answer</b> .	An estimate for the height of a man is 1.8 metres.
7. Approximation	When using approximations to estimate the solution to a calculation, <b>round each number in the calculation to 1 significant figure</b> .	$\frac{348 + 692}{0.526} \approx \frac{300 + 700}{0.5} = 2000$ 'Note that dividing by 0.5 is the same
	≈ means 'approximately equal to'	as multiplying by 2'
	incuité approximatory equal to	

### **Topic: Basic Number and Decimals**



Topic/Skill	Definition/Tips	Example
1. Integer	A <b>whole number</b> that can be positive, negative or zero.	-3, 0, 92
2. Decimal	A number with a <b>decimal point</b> in it. Can be positive or negative.	3.7, 0.94, -24.07
3. Negative Number	A number that is <b>less than zero</b> . Can be decimals.	-8, -2.5
4. Addition	To find the <b>total</b> , or <b>sum</b> , of two or more numbers. 'add', 'plus', 'sum'	3 + 2 + 7 = 12
5. Subtraction	To find the <b>difference</b> between two numbers. To find out how many are left when some are taken away. 'minus', 'take away', 'subtract'	10 - 3 = 7
6. Multiplication	Can be thought of as <b>repeated addition</b> . 'multiply', 'times', 'product'	$3 \times 6 = 6 + 6 + 6 = 18$
7. Division	Splitting into equal parts or groups. The process of calculating the <b>number of</b> <b>times one number is contained within</b> <b>another one</b> . 'divide', 'share'	$20 \div 4 = 5$ $\frac{20}{4} = 5$
8. Remainder	The amount ' <b>left over</b> ' after dividing one integer by another.	The remainder of $20 \div 6$ is 2, because 6 divides into 20 exactly 3 times, with 2 left over.
9. BIDMAS	An acronym for the <b>order</b> you should do calculations in.	$6 + 3 \times 5 = 21, not 45$
	BIDMAS stands for <b>'Brackets, Indices,</b> <b>Division, Multiplication, Addition and</b> <b>Subtraction'</b> .	$5^2 = 25$ , where the 2 is the index/power.
	Indices are also known as 'powers' or 'orders'.	
	With strings of division and multiplication, or strings of addition and subtraction, and no brackets, work from left to right.	$12 \div 4 \div 2 = 1.5, not 6$

# **Topic: Factors and Multiples**

Topic/Skill	Definition/Tips	Example
1. Multiple	The result of multiplying a number by an	The first five multiples of 7 are:
	integer.	
	The <b>times tables</b> of a number.	7, 14, 21, 28, 35
2. Factor	A number that <b>divides exactly</b> into another	The factors of 18 are:
	number without a remainder.	1, 2, 3, 6, 9, 18
	It is useful to write factors in pairs	The factor pairs of 18 are:
		1, 18
		2,9
		3,6
3. Lowest	The smallest number that is in the times	The LCM of 3, 4 and 5 is 60 because it
Common	tables of each of the numbers given.	is the smallest number in the 3, 4 and 5
Multiple		times tables.
(LCM)		
4. Highest	The <b>biggest</b> number that <b>divides exactly</b>	The HCF of 6 and 9 is 3 because it is
Common	into two or more numbers.	the biggest number that divides into 6
Factor (HCF)		and 9 exactly.
5. Prime	A number with exactly two factors.	The first ten prime numbers are:
Number		
	A number that can only be divided by itself and one.	2, 3, 5, 7, 11, 13, 17, 19, 23, 29
	The number <b>1</b> is not prime, as it only has one factor, not two.	
6. Prime	A factor which is a prime number.	The prime factors of 18 are:
Factor		
		2,3
7. Product of	Finding out which <b>prime numbers</b>	36
Prime Factors	multiply together to make the original	$36 = 2 \times 2 \times 3 \times 3$
	number.	(2) 18 or $2^2 \times 3^2$
	Use a <b>prime factor tree.</b>	2 9
	Also known as 'prime factorisation'.	3 3

# **Topic: Compound Measures**

Topic/Skill	Definition/Tips	Example
1. Metric	A system of measures based on:	1kilometres = 1000 metres
System		1 metre = 100 centimetres
	- the metre for length	1 centimetre = 10 millimetres
	- the kilogram for mass	
	- the second for time	1  kilogram = 1000  grams
	Length: mm, cm, m, km	
	Mass: mg, g, kg	
	Volume: ml, cl, l	
2. Imperial	A system of weights and measures	1lb = 16 ounces
System	originally developed in England, usually	1 foot = 12 inches
	based on human quantities	1 gallon = 8 pints
	Length: inch, foot, yard, miles	
	Mass: lb, ounce, stone	
	Volume: pint, gallon	
3. Metric and	Use the <b>unitary method</b> to convert	5 miles $\approx$ 8 kilometres
Imperial Units	between metric and imperial units.	$1 \ gallon \approx 4.5 \ litres$
		2.2 pounds $\approx$ 1 kilogram
		1 inch = 2.5 centimetres

# **Topic: Perimeter and Area**

1<sup>25</sup> 1

Topic/Skill	Definition/Tips	Example
1. Perimeter	The <b>total distance</b> around the <b>outside</b> of a	8 cm
	shape.	
		5 cm
	Units include: <i>mm</i> , <i>cm</i> , <i>m</i> etc.	
		P = 8 + 5 + 8 + 5 = 26cm
2. Area	The amount of <b>space inside</b> a shape.	
	Units include: $mm^2$ , $cm^2$ , $m^2$	
	onto notado. nent yent ynt	
3. Area of a	Length x Width	9 cm
Rectangle		
		4 cm
		$A = 36cm^2$
4. Area of a	Base x Perpendicular Height	
Parallelogram	Not the slant height.	4cm 3cm
		$A = 21 cm^2$
5. Area of a	Base x Height ÷ 2	9
Triangle		4 5
		$A = 24cm^2$
6. Area of a	Split in to <b>two triangles</b> and use the	A A
Kite	method above.	2.2m
		← 8m
		$A = 8.8m^2$
7. Area of a	$\frac{(a+b)}{2} \times h$	<u>6 cm</u>
Trapezium	2	5 cm
	"Half the sum of the parallel side, times the	
	height between them. That is how you	$\xleftarrow{16 \text{ cm}} A = 55 cm^2$
	calculate the area of a trapezium"	
8. Compound	A shape made up of a <b>combination of</b>	
Shape	other known shapes put together.	
		- +
		+
		±

# **Topic: Volume**

	-	-	
ź	ΥÇ		ķ
	r	N.	
L	-	s٢	
	-	~	/

		1
Topic/Skill	Definition/Tips	Example
1. Volume	Volume is a measure of the amount of space inside a solid shape. Units: $mm^3$ , $cm^3$ , $m^3$ etc.	
2. Volume of a	V = Length  imes Width  imes Height	M
Cube/Cuboid	$V = L \times W \times H$	6cm
	You can also use the Volume of a Prism formula for a cube/cuboid.	3 cm
		volume = $6 \times 5 \times 3$ = $90 \text{ cm}^3$
3. Prism	A prism is a 3D shape whose <b>cross section</b> is the same throughout.	Triangle Prism Pentagonal Prism Hexagonal Prism
4. Cross Section	The <b>cross section</b> is the <b>shape</b> that <b>continues</b> all the way <b>through the prism</b> .	Cross Section
5. Volume of a Prism	V = Area of Cross Section  imes Length V = A  imes L	Area of Cross Section Length

# **Topic: Representing Data**

1<sup>2</sup> 12

Topic/Skill	Definition/Tips	Example		
1. Frequency	A record of <b>how often each value</b> in a set	Number of marks	Tally marks	Frequency
Table	of data <b>occurs</b> .	1	JHT	7
		2	JH1	5
		3	1111 I	6
		4	1111	5
		5	111	3
		Total		26
2. Bar Chart	Represents data as vertical blocks. x - axis shows the type of data y - axis shows the frequency for each type of data Each bar should be the same width There should be gaps between each bar Remember to label each axis.	14 12 10 8 6 4 2 0 0 0	1 2 3 imber of pets c	4 bwned
3. Types of Bar Chart	<b>Compound/Composite</b> Bar Charts show data stacked on top of each other.	Weght (gm) 40 20 10 A	Auminum	c
	<b>Comparative/Dual</b> Bar Charts show data side by side.	50 40 30 20 10 Jan Feb	ainfall Mar Apr May Month Bar Chart	Key: London Bristol
4. Pie Chart	Used for showing <b>how data breaks down</b>			
	<ul> <li>into its constituent parts.</li> <li>When drawing a pie chart, divide 360° by the total frequency. This will tell you how many degrees to use for the frequency of each category.</li> </ul>	Tennis 40 Hockey	80° Netball	
	Remember to <b>label</b> the category that each sector in the pie chart represents.	If there are 40 pe each person will of the pie chart.	-	•

5. Pictogram	Uses <b>pictures</b> or symbols to <b>show the value</b> of the data.	Black 🛱 🛱 🖡
	A pictogram must have a key.	Green $\oint$ $= 4 \text{ cars}$ Others $\bigoplus$ $\bigoplus$ $\bigoplus$ $\bigoplus$ $\bigoplus$
6. Line Graph	A graph that uses <b>points connected by</b> <b>straight lines</b> to show how data changes in values.	
	This can be used for <b>time series data</b> , which is a series of data points spaced over uniform time intervals in <b>time order</b> .	
7. Two Way Tables	A table that <b>organises data</b> around <b>two categories.</b>	Question: Complete the 2 way table below.           Left Handed         Right Handed         Total           Boys         10         58           Girls
	Fill out the information step by step using the information given.	Total         84         100           Answer: Step 1, fill out the easy parts (the totals)         Image: Constant of the total of total of the total of
	Make sure all the totals add up for all columns and rows.	Answer: Step 2, fill out the remaining parts           Left Handed         Right Handed         Total           Boys         10         48         58           Girls         6         36         42           Total         16         84         100

Topic/Skill	Definition/Tips	Example
1. Correlation	Correlation between two sets of data means	There is correlation between
	they are <b>connected</b> in some way.	temperature and the number of ice
		creams sold.
2. Causality	When one variable <b>influences</b> another	The more hours you work at a
	variable.	particular job (paid hourly), the higher
		your income from that job will be.
3. Positive	As one value <b>increases</b> the other value	a Line of Eess Pa
Correlation	increases.	·
		a far
		а. а
		Positive Correlation
4. Negative	As one value <b>increases</b> the other value	
Correlation	decreases.	
		× *
		· Outlier
		Negative Correlation
5. No	There is no linear velotionship between	*
Correlation	There is <b>no linear relationship</b> between the two.	5- X X X X
Contenation	the two.	- X X X X 5- X X X X
		No Correlation
6. Strong	When two sets of data are <b>closely linked</b> .	1
Correlation	, , , , , , , , , , , , , , , , , , ,	
		Strong
		Positive Correlation
7. Weak	When two sets of data have correlation, but	
Correlation	are <b>not closely linked</b> .	
Conclation	are not closely mixed.	
		Weak
		Positive
<b>9 C</b> = = 44 = 1	A small is subish as here of the same is here	
8. Scatter	A graph in which values of <b>two variables</b>	• • •
Graph	are plotted along two axes to <b>compare</b>	
	them and see if there is any <b>connection</b>	
	between them.	
9. Line of Best	A straight line that best represents the	
Fit	data on a scatter graph.	x x x
-	0r-	
		x x
10. Outlier	A value that 'lies outside' most of the other	
10. Outlief		10 Outlier
	values in a set of data.	8
	An outlier is <b>much smaller or much</b>	
	<b>larger</b> than the other values in a set of data.	4
		0 20 40 60 80 100

# Subject: Maths



Tibshelf Community School

*ी 👫* एक्ट्रा

Topic/Skill	Definition/Tips	Example
1. Types of	Qualitative Data – non-numerical data	Qualitative Data – eye colour, gender
Data	Quantitative Data – numerical data	etc.
	<b>Continuous</b> Data – data that can take <b>any numerical value</b> within a given range.	Continuous Data – weight, voltage etc.
	<b>Discrete</b> Data – data that can take <b>only</b>	Discrete Data – number of children,
	specific values within a given range.	shoe size etc.
2. Grouped	Data that has been <b>bundled in to</b>	Foot length, <i>l</i> , (cm) Number of children
Data	categories.	10 ≤ <i>l</i> < 12 5
	Seen in grouped frequency tables,	12 ≤ <i>l</i> < 17 53
	histograms, cumulative frequency etc.	
3. Primary	Primary Data – collected yourself for a	Primary Data – data collected by a
/Secondary Data	specific purpose.	student for their own research project.
	Secondary Data – collected by someone	Secondary Data – Census data used to
	else for another purpose.	analyse link between education and
4. Mean	Add you the yelves and divide by here meny	earnings.
4. Mean	Add up the values and <b>divide</b> by how many values there are.	The mean of 3, 4, 7, 6, 0, 4, 6 is 3 + 4 + 7 + 6 + 0 + 4 + 6
		$\frac{3}{7} = 5$
5. Mean from a	1. Find the midpoints (if necessary)	Height in cm         Frequency         Midpoint $F \times M$ $G_{1}$ $G_{2}$
Table	2. Multiply Frequency by values or	$\begin{array}{c c c c c c c c c c c c c c c c c c c $
	midpoints	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$
	<ul><li>3. Add up these values</li><li>4. Divide this total by the Total Frequency</li></ul>	Estimated Mean
	4. Divide this total by the Total Frequency	height: $450 \div 24 =$
	If <b>grouped</b> data is used, the answer will be	18.75cm
	an <b>estimate</b> .	
6. Median	The <b>middle</b> value.	Find the median of: 4, 5, 2, 3, 6, 7, 6
Value	Put the data in order and find the middle	Ordered: 2, 3, 4, <b>5</b> , 6, 6, 7
	one.	010000. 2, 3, 7, 3, 0, 0, 7
	If there are <b>two middle values</b> , find the	Median = 5
	number half way between them by <b>adding</b>	
	them together and dividing by 2. $(n+1)$	
7. Median from a Table	Use the formula $\frac{(n+1)}{2}$ to find the position of	If the total frequency is 15, the median $(15+1)$
nom a radie	the median.	will be the $\left(\frac{15+1}{2}\right) = 8th$ position
	<i>n</i> is the total frequency.	
8. Mode /Modal Value	Most frequent/common.	Find the mode: 4, 5, 2, 3, 6, 4, 7, 8, 4
	Can have more than one mode (called bi-	Mode = 4
	modal or multi-modal) or no mode (if all	
0 Panga	values appear once)	Find the range: 2, 21, 26, 102, 27, 07
9. Range	Highest value subtract the Smallest value	Find the range: 3, 31, 26, 102, 37, 97.
	Range is a 'measure of spread'. The smaller	Range = 102-3 = 99

	the range the more <u>consistent</u> the data.	
10. Outlier	A value that 'lies outside' most of the other values in a set of data. An outlier is <b>much smaller or much</b> larger than the other values in a set of data.	12 10 8 6 4 2 0 20 40 60 80 100

### Topic: Algebra



		Algebra
Topic/Skill	Definition/Tips	Example
1. Expression	A mathematical statement written using <b>symbols</b> , <b>numbers</b> or <b>letters</b> ,	$3x + 2$ or $5y^2$
2. Equation	A statement showing that <b>two expressions</b> are equal	2y - 17 = 15
3. Identity	An equation that is <b>true for all values</b> of the variables	$2x \equiv x + x$
4. Formula	An identity uses the symbol: ≡ Shows the <b>relationship</b> between <b>two or</b> <b>more variables</b>	Area of a rectangle = length x width or A= LxW
5. Simplifying Expressions	Collect 'like terms'. Be careful with negatives. $x^2$ and x are not like terms.	2x + 3y + 4x - 5y + 3 = 6x - 2y + 3 3x + 4 - x <sup>2</sup> + 2x - 1 = 5x - x <sup>2</sup> + 3
6. <i>x</i> times <i>x</i>	The answer is $x^2$ not $2x$ .	Squaring is multiplying by itself, not by 2.
7. $p \times p \times p$	The answer is $p^3$ not $3p$	If p=2, then $p^3=2x^2x^2=8$ , not 2x3=6
8. <i>p</i> + <i>p</i> + <i>p</i>	The answer is 3p not $p^3$	If p=2, then $2+2+2=6$ , not $2^3 = 8$
9. Expand	To expand a bracket, <b>multiply</b> each term <b>in</b> <b>the bracket</b> by the expression <b>outside</b> the bracket.	3(m+7) = 3x + 21
10. Factorise	The <b>reverse</b> of <b>expanding</b> . Factorising is writing an expression as a product of terms by ' <b>taking out' a</b> <b>common factor</b> .	6x - 15 = 3(2x - 5), where 3 is the common factor.

# **Topic: Equations and Formulae**

<ul> <li>find the answer/value of something</li> <li>e inverse operations on both sides of</li> <li>e equation (balancing method) until you</li> <li>d the value for the letter.</li> </ul> Oposite e inverse operations on both sides of e formula (balancing method) until you	Solve $2x - 3 = 7$ Add 3 on both sides 2x = 10 Divide by 2 on both sides x = 5 The inverse of addition is subtraction. The inverse of multiplication is division. Make x the subject of $y = \frac{2x-1}{z}$
e equation (balancing method) until you d the value for the letter. poposite e inverse operations on both sides of e formula (balancing method) until you	2x = 10 Divide by 2 on both sides x = 5 The inverse of addition is subtraction. The inverse of multiplication is division.
e inverse operations on both sides of formula (balancing method) until you	The inverse of multiplication is division.
e formula (balancing method) until you	Make x the subject of $y = \frac{2x-1}{x}$
d the expression for the letter.	Multiply both sides by z yz = 2x - 1 Add 1 to both sides yz + 1 = 2x Divide by 2 on both sides $\frac{yz + 1}{2} = x$ We now have x as the subject.
<b>bstitute letters for words</b> in the estion.	Bob charges £3 per window and a £5 call out charge. C = 3N + 5Where N=number of windows and C=cost
	a = 3, b = 2 and $c = 5$ . Find: 1. $2a = 2 \times 3 = 6$
	lace letters with numbers.

# **Topic: Real Life Graphs**



Topic/Skill	Definition/Tips	Example
1. Real Life Graphs	Graphs that are supposed to model some real-life situation. The actual meaning of the values depends on the labels and units on each axis. The <b>gradient</b> might have a contextual meaning. The <b>y-intercept</b> might have a contextual meaning. The <b>area</b> under the graph might have a contextual meaning.	(4) (4) (4) (4) (5) (4) (4) (5) (4) (5) (4) (5) (5) (4) (5) (5) (4) (5) (5) (5) (5) (6) (7) (7) (7) (7) (7) (7) (7) (7
2. Conversion Graph	<ul> <li>A line graph to convert one unit to another.</li> <li>Can be used to convert units (eg. miles and kilometres) or currencies (\$ and £)</li> <li>Find the value you know on one axis, read up/across to the conversion line and read the equivalent value from the other axis.</li> </ul>	Conversion graph miles $\Leftrightarrow$ kilometres km 20 16 12 8 4 0 5 10 miles15 8 km = 5 miles
3. Depth of Water in Containers	Graphs can be used to show how the depth of water changes as different shaped containers are filled with water at a constant rate.	



Tibshelf Community School

# **Topic:** Ratio

57 F

Topic/Skill	Definition/Tips	Example
1. Ratio	Ratio compares the size of <b>one part</b> to	3:1
	another part.	
2 December 1	Written using the ':' symbol.	In a characteristic 12 hours and 0 side the
2. Proportion	Proportion compares the size of <b>one part</b> to the size of the <b>whole</b> .	In a class with 13 boys and 9 girls, the $13$ divide the $13$ dividet the $13$ d
	the size of the whole.	proportion of boys is $\frac{1}{22}$ and the
	Usually written as a fraction.	proportion of boys is $\frac{13}{22}$ and the proportion of girls is $\frac{9}{22}$
3. Simplifying	Divide all parts of the ratio by a common	5: 10 = 1: 2 (divide both by 5)
Ratios	factor.	14:21 = 2:3 (divide both by 7)
1 Dation in the	Divide both norte of the notic by one of the	7
4. Ratios in the form $1 : n$ or	<b>Divide</b> both parts of the ratio by one of the numbers to make <b>one part equal 1</b> .	$5:7 = 1:\frac{7}{5}$ in the form $1:n$
n: 1	numbers to make one part equal 1.	$5:7 = \frac{5}{7}:1$ in the form n : 1
<i>n</i> • 1		7
5. Sharing in a	<b>1. Add</b> the total parts of the ratio.	Share $\pounds 60$ in the ratio $3:2:1$ .
Ratio	<b>2. Divide</b> the amount to be shared by this	
	value to find the value of one part.	3 + 2 + 1 = 6
	<b>3. Multiply</b> this value by each part of the	$60 \div 6 = 10$
	ratio.	$3 \ge 10 = 30, 2 \ge 10 = 20, 1 \ge 10 = 10$ £30 : £20 : £10
	Use only if you <b>know the total</b> .	250.220.210
6. Proportional	Comparing two things using <b>multiplicative</b>	X 2
Reasoning	<b>reasoning</b> and applying this to a new	
C	situation.	30 minutes 60 pages
		? minutes 150 pages
	Identify one multiplicative link and use this	
7 Ileitan	to find missing quantities.	X2
7. Unitary Method	Finding the <b>value of a single unit</b> and then finding the necessary value by <b>multiplying</b>	3 cakes require 450g of sugar to make. Find how much sugar is needed to
Wiethou	the single unit value.	make 5 cakes.
	the shigle time value.	have 5 cares.
		3  cakes = 450 g
		So 1 cake = $150g (\div by 3)$
		So 5 cakes = $750 \text{ g} (\text{x by 5})$
8. Ratio	Find what <b>one part</b> of the ratio is worth	Money was shared in the ratio 3:2:5
already shared	using the <b>unitary method</b> .	between Ann, Bob and Cat. Given that Bob had $\pounds 16$ , found out the total
		amount of money shared.
		uniount of money billiou.
		$\pounds 16 = 2$ parts
		So $\pounds 8 = 1$ part
		$3 + 2 + 5 = 10$ parts, so $8 \times 10 = \text{\pounds}80$
9. Best Buys	Find the <b>unit cost</b> by <b>dividing</b> the <b>price by</b>	8 cakes for £1.28 $\rightarrow$ 16p each (÷by 8)
	the quantity.	13 cakes for £2.05 $\rightarrow$ 15.8p each (÷by
	The <b>lowest</b> number is the best value.	13) Pack of 13 cakes is best value.

# **Topic: Angles**

Topic/Skill	Definition/Tips	Example
1. Types of Angles	<ul> <li>Acute angles are less than 90°.</li> <li>Right angles are exactly 90°.</li> <li>Obtuse angles are greater than 90° but less than 180°.</li> <li>Reflex angles are greater than 180° but less than 360°.</li> </ul>	Acute Right Obtuse Reflex
2. Angle Notation	Can use <b>one lower-case</b> letters, eg. $\theta$ or $x$ Can use <b>three upper-case</b> letters, eg. <i>BAC</i>	
3. Angles at a Point	Angles around a point add up to 360°.	$\frac{d}{c}a$ $a+b+c+d=360^{\circ}$
4. Angles on a Straight Line	Angles around a point on a straight line add up to 180°.	$x y$ $x + y = 180^{\circ}$
5. Opposite Angles	Vertically opposite angles are equal.	$\frac{x/y}{y/x}$
6. Alternate Angles	Alternate angles are equal. They look like Z angles, but never say this in the exam.	$\begin{array}{c} y \\ x \\ y \end{array}$
7. Corresponding Angles	<b>Corresponding angles are equal</b> . They look like F angles, but never say this in the exam.	$y \xrightarrow{x}$
8. Co-Interior Angles	<b>Co-Interior angles add up to 180°</b> . They look like C angles, but never say this in the exam.	$\begin{array}{c} y \\ x \\ y \\ \end{array}$

		*
9. Angles in a Triangle	Angles in a triangle add up to 180°.	B 45 ° 55°
10. Types of Triangles	<ul> <li>Right Angle Triangles have a 90° angle in.</li> <li>Isosceles Triangles have 2 equal sides and 2 equal base angles.</li> <li>Equilateral Triangles have 3 equal sides and 3 equal angles (60°).</li> <li>Scalene Triangles have different sides and different angles.</li> <li>Base angles in an isosceles triangle are equal.</li> </ul>	Right Angled Isosceles
11. Angles in a Quadrilateral	Angles in a quadrilateral add up to 360°.	65° 93°
12. Polygon	A <b>2D</b> shape with <b>only straight edges</b> .	Rectangle, Hexagon, Decagon, Kite etc.
13. Regular	A shape is regular if all the <b>sides</b> and all the <b>angles</b> are <b>equal</b> .	
14. Names of Polygons	3-sided = Triangle 4-sided = Quadrilateral 5-sided = Pentagon 6-sided = Hexagon 7-sided = Heptagon/Septagon 8-sided = Octagon 9-sided = Nonagon 10-sided = Decagon	Triangle Quadrilateral Pentagon Hexagon Heptagon Octagon Nonagon Decagon
15. Sum of Interior Angles	$(n-2) \times 180$ where n is the number of sides.	Sum of Interior Angles in a Decagon = $(10 - 2) \times 180 = 1440^{\circ}$
16. Size of Interior Angle in a Regular Polygon	$\frac{(n-2) \times 180}{n}$ You can also use the formula:	Size of Interior Angle in a Regular Pentagon = $\frac{(5-2) \times 180}{5} = 108^{\circ}$

্য 🏶 সন্ধ

		*
	180 – Size of Exterior Angle	
17. Size of	360	Size of Exterior Angle in a Regular
Exterior Angle	n	Octagon =
in a Regular		$\frac{360}{8} = 45^{\circ}$
Polygon	You can also use the formula:	
	180 – Size of Interior Angle	

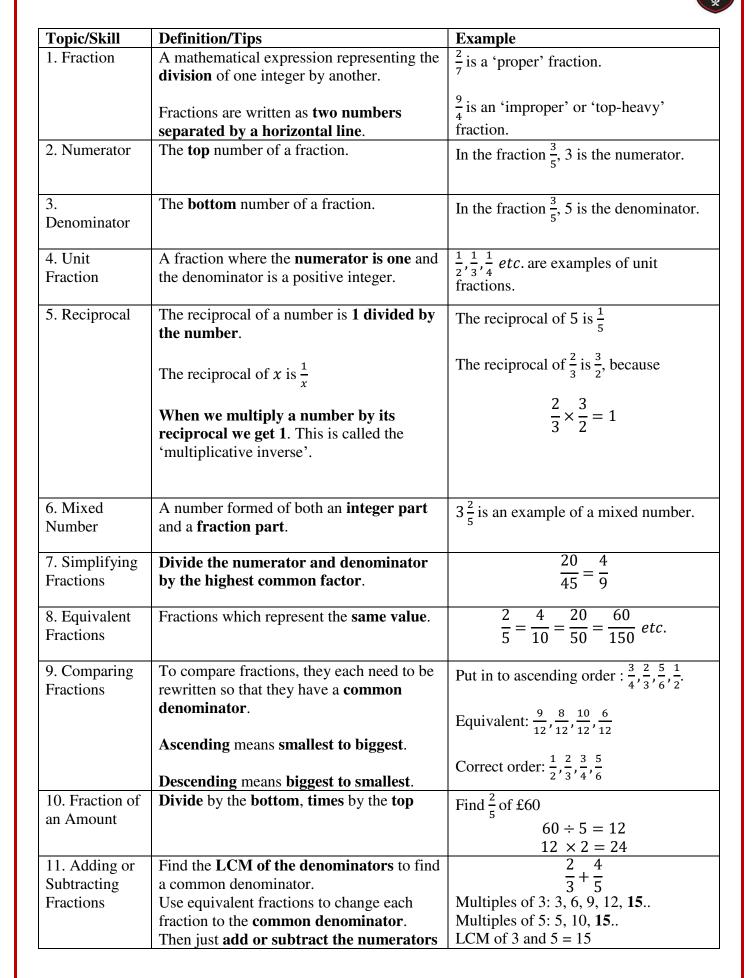
্য 🏶 সন্ধ

**Topic: Properties of Polygons** 

N. Car	. all
Y	Y
19	
	/

<b>T</b> • (0) • 11		
Topic/Skill	Definition/Tips	Example
1. Square	• Four equal sides	
	• Four right angles	
	Opposite sides parallel	
	• Diagonals bisect each other at right	
	angles	/
	• Four lines of symmetry	
	• Rotational symmetry of order four	
2. Rectangle	• Two pairs of equal sides	
	• Four right angles	
	Opposite sides parallel	
	• Diagonals bisect each other, not at right	
	angles	
	• Two lines of symmetry	
<u> </u>	• Rotational symmetry of order two	
3. Rhombus	• Four equal sides	
	Diagonally opposite angles are equal	
	Opposite sides parallel     Discussed bioset such at here to right	$\langle \rangle$
	• Diagonals bisect each other at right	$\sim$
	angles	
	• Two lines of symmetry • Potational symmetry of order two	
4.	<ul> <li>Rotational symmetry of order two</li> <li>Two pairs of equal sides</li> </ul>	
4. Parallelogram	<ul> <li>Diagonally opposite angles are equal</li> </ul>	
1 araneiogram	• Opposite sides parallel	
	• Diagonals bisect each other, not at right	t t
	angles	
	• No lines of symmetry	
	• Rotational symmetry of order two	
5. Kite	• Two pairs of adjacent sides of equal	$\sim$
	length	$\rightarrow$ $\times$
	• One pair of diagonally opposite angles	
	are equal (where different length sides	$\times \neq$
	meet)	
	• Diagonals intersect at right angles, but	$\sim$
	do not bisect	
	• One line of symmetry	
	No rotational symmetry	
6. Trapezium	• One pair of parallel sides	
	• No lines of symmetry	
	No rotational symmetry	
	Special Case: Isosceles Trapeziums have	
	one line of symmetry.	

#### **Topic: Fractions**



	and keep the <b>denominator the same</b> .	$\frac{\frac{2}{3} = \frac{10}{15}}{\frac{4}{5} = \frac{12}{15}}$ $\frac{\frac{10}{15} + \frac{12}{15} = \frac{22}{15} = 1\frac{7}{15}$
12. Multiplying Fractions	Multiply the numerators together and multiply the denominators together.	$\frac{3}{8} \times \frac{2}{9} = \frac{6}{72} = \frac{1}{12}$
13. Dividing Fractions	<ul> <li>'Keep it, Flip it, Change it – KFC'</li> <li>Keep the first fraction the same</li> <li>Flip the second fraction upside down</li> <li>Change the divide to a multiply</li> <li>Multiply by the reciprocal of the second</li> </ul>	$\frac{3}{4} \div \frac{5}{6} = \frac{3}{4} \times \frac{6}{5} = \frac{18}{20} = \frac{9}{10}$
	fraction.	



T		Factorial
Topic/Skill	Definition/Tips	Example
1. Percentage	Number of parts per 100.	$31\%$ means $\frac{31}{100}$
2. Finding	To find <b>10%</b> , <b>divide by 10</b>	$10\% \text{ of } \pounds 36 = 36 \div 10 = \pounds 3.60$
10%		
3. Finding 1%	To find <b>1%</b> , <b>divide by 100</b>	$1\% \text{ of } \pounds 8 = 8 \div 100 = \pounds 0.08$
4. Percentage	Difference	A games console is bought for £200
Change	$\frac{Difference}{Original} \times 100\%$	and sold for £250.
		% change = $\frac{50}{200} \times 100 = 25\%$
5. Fractions to	Divide the numerator by the	3 0 0 0 0 7 7
Decimals	denominator using the bus stop method.	$\frac{3}{8} = 3 \div 8 = 0.375$
6. Decimals to	Write as a fraction over 10, 100 or 1000	$0.36 = \frac{36}{100} = \frac{9}{25}$
Fractions	and simplify.	$0.36 = \frac{100}{100} = \frac{100}{25}$
7. Percentages to Decimals	Divide by 100	$8\% = 8 \div 100 = 0.08$
8. Decimals to	Multiply by 100	$0.4 = 0.4 \times 100\% = 40\%$
Percentages		
9. Fractions to	Percentage is just a fraction out of 100.	3 12 100/
Percentages	Make the denominator 100 using	$\frac{3}{25} = \frac{12}{100} = 12\%$
-	equivalent fractions.	
	When the denominator doesn't go in to	$\frac{9}{17} \times 100 = 52.9\%$
	100, use a calculator and <b>multiply the</b>	$\frac{17}{17} \times 100 = 52.9\%$
	fraction by 100.	
10.	Percentage is just a fraction out of 100.	$14\% = \frac{14}{100} = \frac{7}{50}$
Percentages to	Write the percentage over 100 and	$14\% = \frac{1}{100} = \frac{1}{50}$
Fractions	simplify.	